

Jumbled Block Hierarchy

Input file: `standard input`

Output file: `standard output`

Consider all permutations $P_1, P_2, \dots, P_n$ of the integers from 1 to n .

You are given m inclusive intervals of positions, called blocks. The blocks are laminar: any two blocks are either identical, have no position in common, or one is entirely contained in the other. In particular, two blocks never partially overlap.

A permutation respects the blocks if, for every given block $[l, r]$, the set

$$\{P_l, P_{l+1}, \dots, P_r\}$$

is a set of consecutive integers. The order of these values inside the block is unrestricted. Equivalently, the block must satisfy

$$\max_{l \leq i \leq r} P_i - \min_{l \leq i \leq r} P_i = r - l.$$

Only the blocks given in the input impose restrictions. Repeated copies of the same block do not add any restriction.

An index i with $1 \leq i < n$ is a descent of P if $P_i > P_{i+1}$. For every d from 0 to $n - 1$, let C_d be the number of permutations that respect all the given blocks and have exactly d descents.

No permutation is given in the input. Determine $C_0, C_1, \dots, C_{n-1}$ by counting all permutations that satisfy the restrictions.

Input

The first line contains two integers n and m ($1 \leq n \leq 2 \cdot 10^5$, $0 \leq m \leq 10^6$), the length of the permutation and the number of blocks.

Each of the next m lines contains two integers l_i and r_i ($1 \leq l_i \leq r_i \leq n$), describing the inclusive interval of positions of block i .

The blocks are given in an arbitrary order. It is guaranteed that they form a laminar family. Duplicate blocks may appear.

Output

Print one line containing n integers $C_0, C_1, \dots, C_{n-1}$ in this order, each taken modulo 998 244 353.

Examples

standard input	standard output
5 3 1 5 1 4 1 3	1 6 10 6 1
3 0	1 4 1

Note

In the first example, there are 24 permutations that respect all three blocks. The numbers having exactly 0, 1, 2, 3, 4 descents are respectively

1, 6, 10, 6, 1.

In the second example, there are no blocks, so every permutation of 1, 2, 3 is allowed. Among the six permutations, one has no descents, four have one descent, and one has two descents.