Kingdam of Construction

Input file:	`standard input`
Output file:	`standard output`
Time limit:	2 seconds
Memory limit:	1024 megabytes

You are managing the valve matrix of the "Kingdam of Construction".

Given an $n \times m$ matrix a (both n and m are even), where all elements of a are distinct positive integers between 1 and $n \times m$.

You can perform the following two types of operations in any order:

- Choose row i ($1 \le i \le n$) and reverse it left-to-right, i.e. for all $1 \le j \le \frac{m}{2}$, swap $a_{i,j}$ and $a_{i,m-j+1}$;
- Choose column j ($1 \le j \le m$) and reverse it top-to-bottom, i.e. for all $1 \le i \le \frac{n}{2}$, swap $a_{i,j}$ and $a_{n-i+1,j}$.

Determine whether it is possible to transform a into the $n \times m$ target matrix b after a finite number of operations, where b is filled in row-major order with $1, 2, \ldots, n \times m$, i.e. $b_{i,j} = (i-1) \times m + j$. If it is possible, construct an operation sequence with **no more than** 9961 **operations** (it is also allowed to perform no operation, i.e. an empty operation sequence). It can be proved that if an operation sequence exists, then there also exists one with no more than 9961 operations.

Input

The first line contains a positive integer t ($1 \le t \le 25$), representing the number of test cases. For each test case:

The first line contains two positive integers n and m ($2 \le n \le 134$, $2 \le m \le 134$), representing the number of rows and columns of matrix a.

The next n lines each contain m positive integers $a_{i,1}, a_{i,2}, \ldots, a_{i,m}$, representing the elements of matrix a.

It is guaranteed that both n and m are even; it is also guaranteed that every integer from 1 to $n \times m$ appears exactly once in matrix a.

Output

For each test case:

If it is possible to transform matrix a into the target matrix b in finitely many operations, print "`Yes`" on the first line.

Then print one non-negative integer *cnt* on the next line, representing the number of operations. You must ensure that $0 \le cnt \le 9961$ (for each test case; that is, there is no restriction on the sum of *cnt* over all test cases).

Then print *cnt* lines, each containing two integers *op* and *idx* ($op \in \{0, 1\}$, $1 \le idx \le n$ if $op = 0$, otherwise $1 \le idx \le m$), where $op = 0$ means reversing row *idx*, and $op = 1$ means reversing column *idx*.

If no valid sequence of operations exists, output only one line containing "`No`".

You can output the answer in any case (upper or lower). For example, the strings "`yEs`", "`yes`", "`Yes`", and "`YES`" will be recognized as positive responses.

Example

standard input	standard output
4 2 4 4 3 2 1 8 7 6 5 2 4 1 3 2 4 5 6 7 8 4 2 1 2 3 4 7 8 5 6 4 4 4 15 14 16 8 6 11 12 5 7 10 9 13 3 2 1	Yes 2 0 1 0 2 Yes 5 1 2 0 1 1 2 0 1 1 2 No No

Note

For the second sample test case, the operation process is as follows:

$$\begin{bmatrix}1 & 3 & 2 & 4\\ 5 & 6 & 7 & 8\end{bmatrix} \xrightarrow{\text{column, 2}} \begin{bmatrix}1 & \mathbf{6} & 2 & 4\\ 5 & \mathbf{3} & 7 & 8\end{bmatrix} \xrightarrow{\text{row, 1}} \begin{bmatrix}\mathbf{4} & \mathbf{2} & \mathbf{6} & \mathbf{1}\\ 5 & 3 & 7 & 8\end{bmatrix}$$
$$\xrightarrow{\text{column, 2}} \begin{bmatrix}4 & \mathbf{3} & 6 & 1\\ 5 & \mathbf{2} & 7 & 8\end{bmatrix} \xrightarrow{\text{row, 1}} \begin{bmatrix}\mathbf{1} & \mathbf{6} & \mathbf{3} & \mathbf{4}\\ 5 & 2 & 7 & 8\end{bmatrix} \xrightarrow{\text{column, 2}} \begin{bmatrix}1 & \mathbf{2} & 3 & 4\\ 5 & \mathbf{6} & 7 & 8\end{bmatrix}.$$

For the third and fourth sample test cases, the target matrix b is $\begin{bmatrix}1 & 2\\ 3 & 4\\ 5 & 6\\ 7 & 8\end{bmatrix}$ and $\begin{bmatrix}1 & 2 & 3 & 4\\ 5 & 6 & 7 & 8\\ 9 & 10 & 11 & 12\\ 13 & 14 & 15 & 16\end{bmatrix}$, respectively. It can be proved that both cases have no solution.