
Yahor in Menorca

Input file:	standard input
Output file:	standard output
Time limit:	2 seconds
Memory limit:	256 megabytes

Today, while strolling through Menorca, Yahor discovered a new fountain that will soon be open and filled with water. Yahor became curious about how much water would fit into this fountain.

The fountain is a set of poles. The base of the fountain is a rectangular field $n \times m$, divided into nm unit squares. The rows of the base are numbered with integers from 1 to n , and the columns with integers from 1 to m . Each cell of the field has a pole of a positive height. The height of the pole located at the intersection of the i -th row and the j -th column is $h_{i,j}$.

After the fountain opens, water will pour onto it until it fills all possible voids inside the fountain. Let's give a formal description of filling the fountain with water: once the fountain is opened, a pole of water of some non-negative (but possibly zero) height will appear on top of each of the poles. Let the height of the water pole on the pole located at the intersection of the i -th column and the j -th row be $w_{i,j}$. We will say that the water does not spill out of the fountain if the following conditions are met:

- If $i \in \{1, n\}$ or $j \in \{1, m\}$, then $w_{i,j} = 0$. In other words, there is no water on top of the poles located on the border of the field: it drains beyond the fountain.
- If $|i_1 - i_2| + |j_1 - j_2| = 1$, then either $w_{i_1,j_1} = 0$, or $h_{i_1,j_1} + w_{i_1,j_1} \leq h_{i_2,j_2} + w_{i_2,j_2}$. In other words, for any pole, one of the two is true: either there is no water on top of it, or the total height of the pole and the water pole on it does not exceed the total height of the pole and the water pole on each of the neighboring side columns.

The total volume of water in the fountain equals the sum of the values of $w_{i,j}$ for all poles. The fountain is filled with water in such a way that the total volume of water is as large as possible.

Yahor remembered the dimensions of the fountain's base, as well as the heights of all the poles it consists of, but he has difficulty calculating what volume of water will fit in the fountain. Help him solve this problem, because Yahor himself has much more useful things to do (for example, drinking sweet water)!

Input

The first line of the input data contains two integers n and m - the number of rows and columns in the base of the fountain ($3 \leq n, m \leq 900$).

Each of the following n lines contains m integers. The line number $i + 1$ contains the numbers $h_{i,1}, h_{i,2}, \dots, h_{i,m}$ - the heights of the poles located in the i -th row ($1 \leq h_{i,j} \leq 10^9$).

Output

Output a single number - the maximum total volume of water that can fit in the fountain.

Scoring

This problem consists of five subtasks. Additional constraints apply for the subtasks, as specified in the table below. To score points for a subtask, you must pass all the tests for this subtask, as well as all the tests for all necessary subtasks. The numbers of the necessary subtasks are also specified in the table.

Note that some **tests from the condition** do not fit under the restrictions of some subtasks, however, they **must be passed** for the solution to be accepted for review.

Subtask	Points	Constraints		Necessary subtasks
		n, m	$h_{i,j}$	
1	14	$3 \leq n, m \leq 50$	$1 \leq h_{i,j} \leq 2$	—
2	21	$3 \leq n, m \leq 900$	$1 \leq h_{i,j} \leq 2$	1
3	21	$3 \leq n, m \leq 50$	$1 \leq h_{i,j} \leq 10^9$	1
4	21	$3 \leq n, m \leq 300$	$1 \leq h_{i,j} \leq 300$	1
5	23	$3 \leq n, m \leq 900$	$1 \leq h_{i,j} \leq 10^9$	1, 2, 3, 4

Examples

standard input	standard output
4 4 3 4 4 3 4 1 2 3 3 4 5 3 3 1 4 4	3
4 5 2 2 2 2 2 2 1 1 2 2 2 2 2 1 1 2 2 2 2 2	2

Note

In the first test from the condition, the maximum volume is achieved with $w_{2,2} = 2$, $w_{2,3} = 1$, $w_{i,j} = 0$ for all other columns. It is easy to verify that all necessary conditions are met with this configuration, and the total volume of water equals 3.

In the second test from the condition, water can only be placed on two columns: the maximum volume is achieved with $w_{2,2} = 1$, $w_{2,3} = 1$, $w_{i,j} = 0$ for all other columns. The total volume of water equals 2.